APPLICATION OF INTERPOLATION FUNCTIONS IN THE EXPRESS EVALUATION OF PARAMETERS OF FATIGUE RESISTANCE

¹Shetulov D.I., ²Mylnikov V.V., ²Kondrashkin O.B., ³Pronin, A.I., ¹Chernyshov E.A.

(Nizhny Novgorod State Technical University n.a. R.E. Alekseev)¹

(Nizhny Novgorod State University of Architecture and Civil Engineering)², mrmylnikov@mail.ru

(Komsomolsk-on-Amur State Technical University)³

In this paper, an express method is proposed for determining the slope of the left branch of the fatigue curve by using interpolation functions to obtain experimental dependences on the frequency of loading cycles. These relationships allow us to determine the value of the slope angle of the fatigue curve at any frequency of cyclic loading within the experimental data that are available. Thus, there is no need to carry out an experiment if, for a given loading frequency, it does not exist, but the desired value of the fatigue resistance index at the required loading frequency falls within the limits for which the experimental data are available. The tests were subjected to steel grade 40X for fatigue at three values of the cyclic loading frequency (ω) [1-2]. The data obtained in the figure show an increase in the cyclic strength with increasing (ω) (Fig. 1). It should be noted that at $\omega = 2$ Hz in the region of small N, it has a higher cyclic strength than at $\omega = 2.7$ Hz; however, due to a steeper slope, the curve drops lower and on the basis of N = 10^6 cycles a noticeable The difference in the values of limited fatigue cycles.

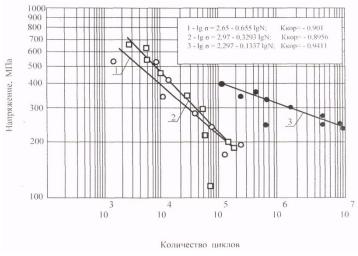


Fig. 1. The curves of fatigue of steel 40X at 20°C, 1,2,3-frequency loading 2; 2,7; 100 Hz. The bending deformation of the rotating sample

We apply interpolation functions to obtain experimental dependences of the material fatigue resistance parameter on the frequency of loading cycles, that is, $tg \alpha_w = f(\omega)$. These relationships allow us to determine the value of $tg\alpha w$ at any frequency of the loading cycles within the experimental data that are available. In other words, there is no need to conduct an experiment if, for a given frequency of loading cycles, it is not present, but the value of ω falls within the limits of the values over which the experimental data are available. The mathematical expression for this purpose looks like this:

$$tg\alpha_{w}=G_{0}+G_{1}(\omega-\omega_{0})+G_{2}(\omega-\omega_{0})(\omega-\omega_{1}), \qquad (1)$$

continue to expand it:

$$\operatorname{tg} \alpha_{w_{\omega_0}} = G_0; \operatorname{tg} \alpha_{w_{\omega_2}} = G_0 + G_1(\omega_2 + \omega_0) + G_2(\omega_2 - \omega_0)(\omega_2 - \omega_1)$$
 (2)

$$tg \alpha_{w_{\omega_1}} = G_0 + G_1(\omega_1 + \omega_0);$$
(3)

$$G_1 = \frac{\operatorname{tg} \alpha_{\omega_1} - G_0}{\omega_1 - \omega_0};\tag{4}$$

$$G_0 = \frac{\operatorname{tg} \alpha_{w_{\omega_2}} - G_0 - G_1(\omega_2 - \omega_0)}{(\omega_2 - \omega_0)(\omega_2 - \omega_1)}; \tag{5}$$

Taking the experimental data for cadmium in Fig. 1 and assigning the relevant values ω_i and $tg\alpha_w$ we have:

$$\omega_0 = 2$$
; $\omega_1 = 2.7$; $\omega_2 = 100 \Gamma_{\text{II}}$;

tg
$$\alpha_{w_{\omega_0}} = 0.2655$$
; tg $\alpha_{w_{\omega_1}} = 0.3293$; tg $\alpha_{w_{\omega_2}} = 0.1337$

The calculation will get the coefficients of the expression:

$$G_0 = 0.2655$$
; $G_1 = 9.5695 \cdot 10^{-2}$; $G_2 = -9.9699 \cdot 10^{-4}$.

Substituting the numerical values into the expression (1) we get:

$$tg\alpha_{w}(\omega)|_{C_{T}.40X} = 6.889 \cdot 10^{-2} + 10.035 \cdot 10^{-2}\omega - 9.9699 \cdot 10^{-4}\omega^{2}.$$
(6)

References:

- 1. Mylnikov V.V., Shetulov D.I., Chernyshov E.A., Pronin A.I. Dependence of fatigue resistance of structural materials on the frequency of cyclic loading // Technology of metals. 2013. No. 9. pp. 30-38.
- 2. Mylnikov V. V., Shetulov D. I., Chernyshov E. A. On evaluation of durability criteria in carbon steels // Metals Technology. 2010. No. 2. p. 19.